



# Welcome to Physics 4L!

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Catherine H. Crouch

*Please pick up flashcards and  
handouts in the back*



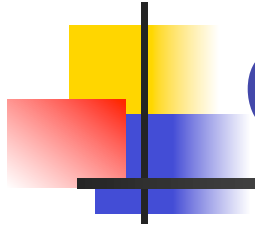
# Welcome to Physics 4L!

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Catherine H. Crouch

*Mary Ann Klassen (labs and demos)*

*Emily Hager, Elizabeth Mills, Erik  
Smith, Ari Strandburg-Peshkin*



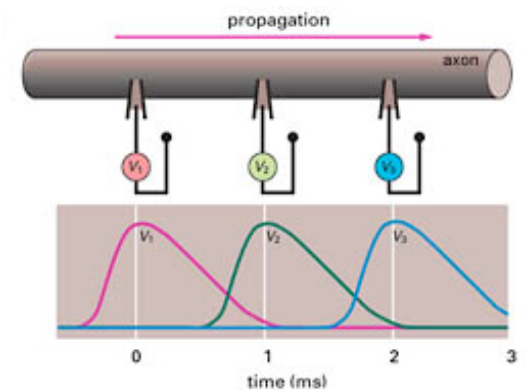
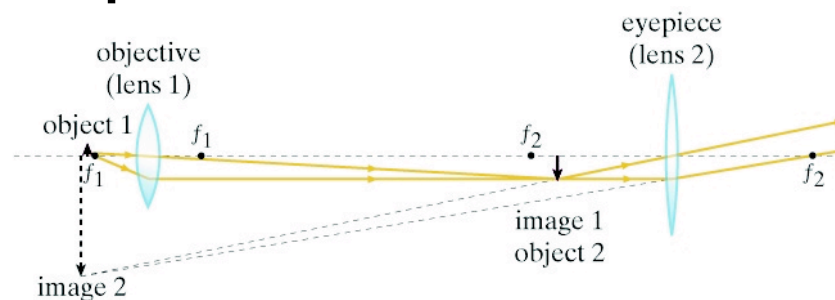
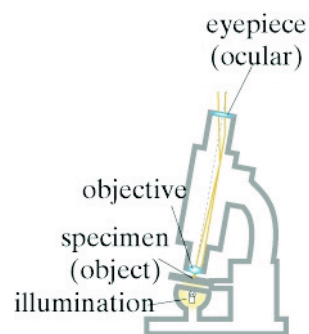
# Course goals

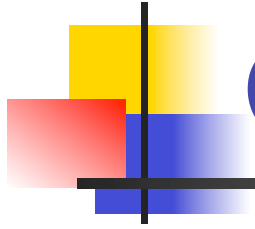
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- Master basic physics both qualitatively and quantitatively
- Build problem-solving skills
- Explore relevance to biology, biochemistry, and medicine

# Course content

- Physics of light, electricity, magnetism
- Start with simple examples
- Apply to more complicated biomedical examples





# Course content

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- Physics of electricity, magnetism, and light
- Amazingly: they are all fundamentally the same phenomenon!

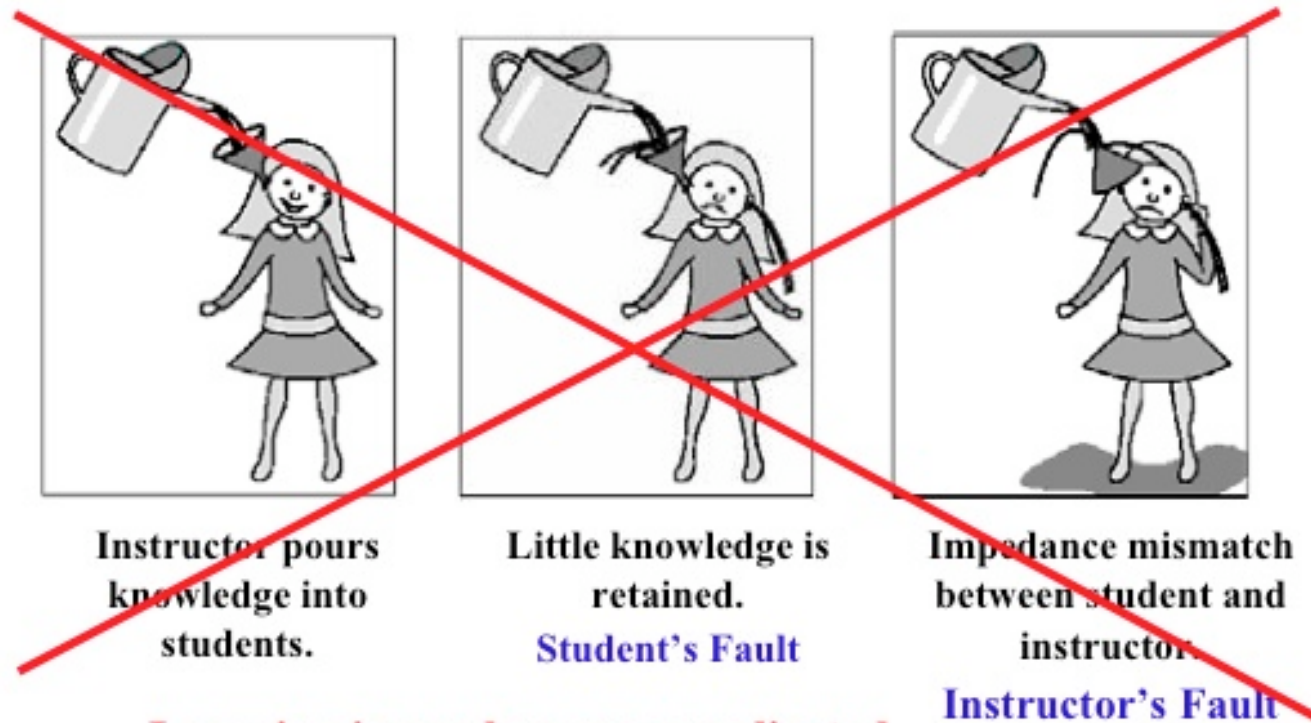


# Learning physics

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- Gaining not just information, but expertise
- Develop new ways of thinking!

# How *not* to learn physics

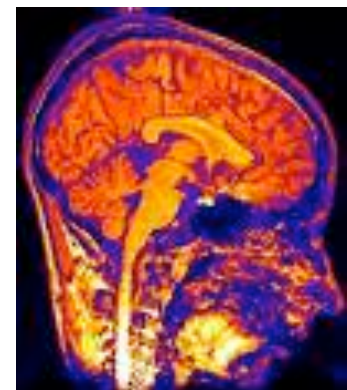
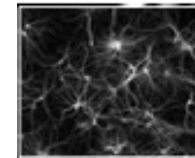


**Learning is much more complicated**

Leonard et. al. (1999). Concept-Based Problem Solving.

# Learning physics

- My job:
  - (1) demonstrate these ways of thinking
  - (2) provide opportunities to try them out
  - (3) provide feedback
- Your job:
  - (1) practice!
  - (2) help each other



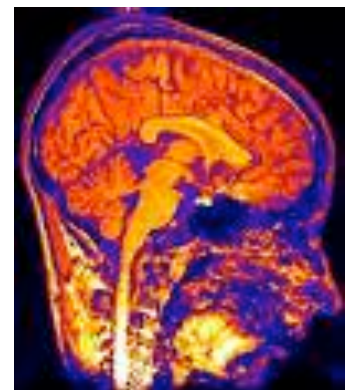
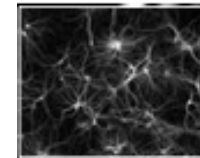




# Opportunities to practice

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- Questions in class
- Lab
- Homework (problem session)
- Mistakes are part of learning!

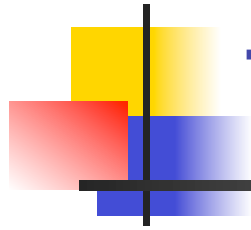




# Course logistics: highlights

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- Read syllabus carefully; note evening exams
- Web site will have questions/probs by 9 a.m.
- Explore course web site: discussion forums for posting questions, handouts, Phys 4L S08 exams with solutions, day-by-day reading
- “Self-test” homework problems
- One “free late” problem set: MUST arrange in advance
- Labs begin next week (bring/buy binder in lab)
- Lab sectioning —email Mary Ann Klassen



# Today's announcements

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- Reading for today and Thursday: Wolfson chapter 30 and 31.1 (also listed on web site)
- Mechanics review session Thursday night, 7:30 - 9, SC 128
- SA sessions Thursday, Sunday, Monday, problem set due Tuesday



J.J.

1/19/2010

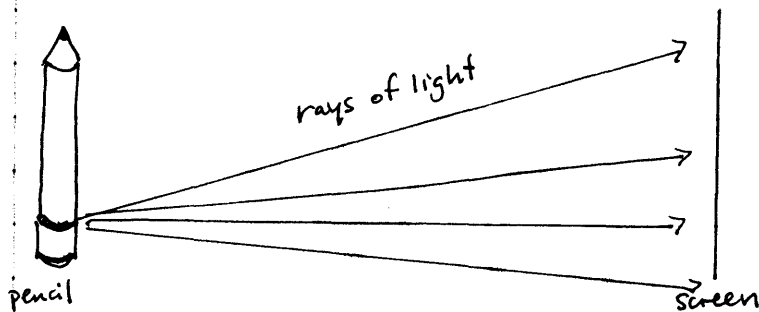
Powerpoint overview

Geometric Optics: How light travels and interacts with objects

Goal: build up to understand human vision and microscopy

A few principles determines how light travels and how images are formed:

- (1) Light comes from every point on a bright object.  
Bright: either glows or reflects light
- (2) Light is emitted in every direction from each point
- (3) Light travels in straight lines until it reaches a surface



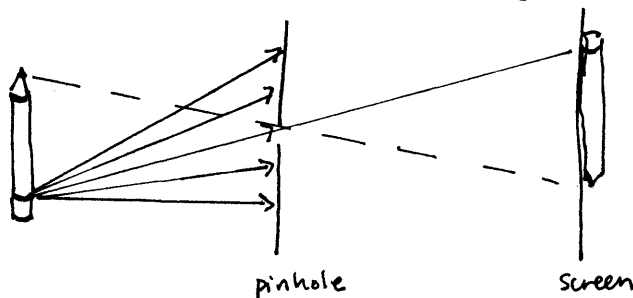
Light from every point on the pencil spreads over entire screen

Screen just has blur of light from pencil

How do we see the pencil clearly? Why not a blur of light from every point?

Our eyes form images: pattern of light that matches bright object

Simplest way to form an image: pinhole



pinhole blocks all but a narrow bundle of rays from each point

→ image of each point forms on screen

→ image of pencil

(This is how vision works in some invertebrates!) (pinhole camera)

Demo:  
show light bulb? other bright source?  
use pink magnifying glass light

1/19/2010

**CT:** To increase size of image, what should you do?

Move pinhole closer to object (sketch)

What else happens?

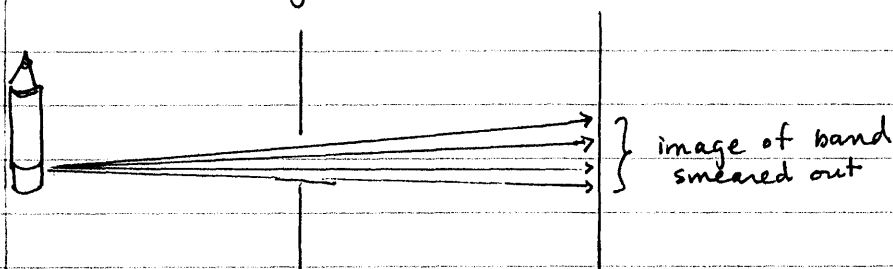
Brightness =  $\frac{\text{total amount of light}}{\text{area}}$  ("intensity")

Same amount of light gets through pinhole

Spreads over larger area of screen  $\rightarrow$  dimmer image

What if you made the pinhole bigger?

More light through (bigger bundle of rays) BUT spreads over larger area of screen  $\rightarrow$  blurs image "out of focus"



How big is the image? **Problem**: Chambered nautilus (see problem sheet for solution)

① Interpret problem: draw a picture

Goal: find distance  $s_i$  from pinhole to image

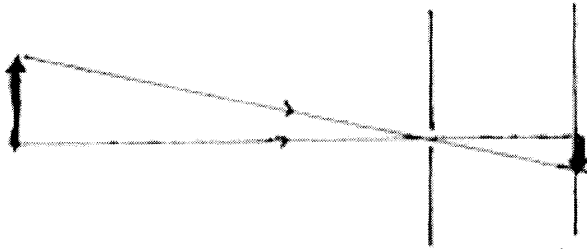
Relevant physics: light travels in straight lines

② Devise plan: use trigonometry to find  $s_i$

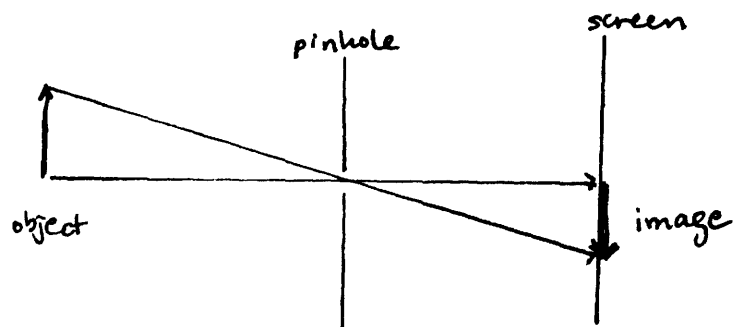
③ Execute plan: substitute values

④ Assess answer: units, reasonable value ( $s_i \ll s_o$ )

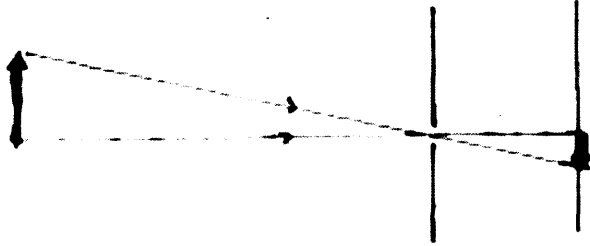
To make the image larger, move the pinhole closer (keeping the screen in the same place):



becomes



An image of a bright arrow is formed on a screen by a pinhole.



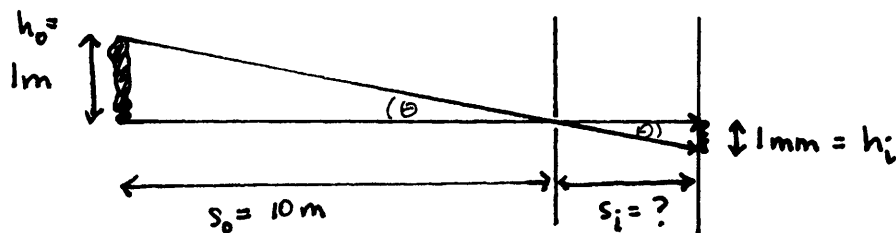
To increase the size of the image, you should:

1. move the pinhole closer to the object (arrow).
2. move the pinhole closer to the image.
3. move the pinhole up.
4. move the pinhole down.
5. make the pinhole bigger.
6. make the pinhole smaller.



A chambered nautilus has eyes consisting of 1-mm holes in front of a small region of light-sensitive tissue. Suppose the light-sensitive tissue is a circular region 1 cm in diameter. If a complete image of a 1-m tall seaweed 10 m in front of the nautilus will be 1 mm tall on the light-sensitive tissue, where is the pinhole relative to the light-sensitive tissue?

Interpret: draw figure, label



Relevant physics: light travels in straight lines

Plan: use trigonometry to find  $s_i$

$$\tan \theta = \frac{\text{opposite}}{\text{adjacent}} = \frac{h_o}{s_o} = \frac{h_i}{s_i}$$

(Or use similar triangles  
 $\rightarrow \frac{h_o}{s_o} = \frac{h_i}{s_i}$ )

$$\text{Solve for } s_i \Rightarrow s_i = s_o \frac{h_i}{h_o}$$

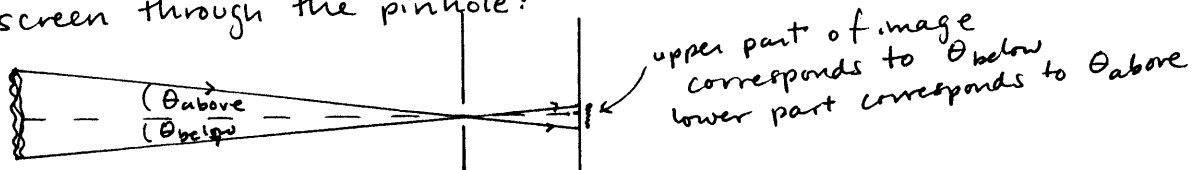
$$\text{Substitute } \Rightarrow s_i = (10 \text{ m}) \left( \frac{1 \text{ mm}}{1 \text{ m}} \right) = \frac{(10 \text{ m})(1 \times 10^{-3} \text{ m})}{1 \text{ m}} = 10^{-2} \text{ m} = 1 \text{ cm}$$

Pinhole is 1 cm in front of tissue

Reasonable?

right units (length)  
 smaller than  $s_o$

Drew seaweed so its lower end is level with pinhole. If not, apply same reasoning to parts above and below the line normal to the screen through the pinhole:

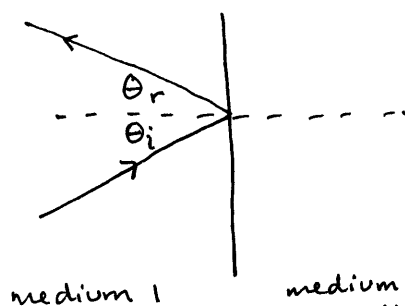


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Light at interfaces (surface between two ~~materials~~ <sup>media</sup>)  
 can be absorbed (~~can~~ light goes into material)  
 reflected (light bounces back)  
 transmitted (light passes through)

For now consider just reflection and transmission:  
 shiny or transparent media

Reflection from smooth surface:  $\theta_i = \theta_r$



(mirrors or any smooth ~~material~~ surfaces)

Note: measure angles from normal to surface

medium 1      medium 2  
 Metals  $\rightarrow$  99% reflecting (mirror)  
 Transparent (glass, plastic)  $\rightarrow$  10% reflecting

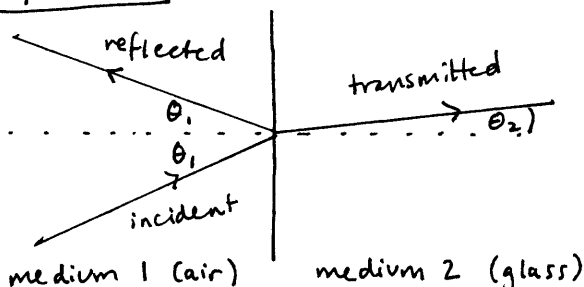
Rough surface: still have  $\theta_i = \theta_r$  but roughness  $\rightarrow$  reflected light in all directions ("diffuse")



how we see most objects: diffuse reflection of sunlight, room lights

If medium 2 is transparent get <sup>both reflection and</sup> transmission and ~~reflection~~ <sup>transmitted ray is</sup> bent "refraction"

### Refraction



transmitted ray is bent  
 [Blackboard optics demo w/ slab  
 start  $\perp$ , rotate]

NOTE: transmitted ray is on the other side of the normal

What determines bending angle?

index of refraction  $n$  of each medium

$$n = \frac{\text{speed of light in vacuum}}{\text{speed of light in medium}}$$

$n = 1.000$  for vacuum

$n = 1.003$  for air

greater for liquids and solids

Refraction:  $n_1 \sin \theta_1 = n_2 \sin \theta_2$  (Snell's Law)

Looking at my figure: which ~~is~~ is bigger,  $n_1$  or  $n_2$ ?  
 $n_2 > n_1$

$$\sin \theta = \frac{\text{opposite}}{\text{hypotenuse}}$$

so smaller angle  $\rightarrow$  smaller  $\sin \theta$

larger  $n \rightarrow$  smaller angle ~~larger angle~~

ray is closer to normal for larger  $n$

[Could illustrate more here]

Effect of refraction: changes where light appears to come from

CT fish (add underwater rays as read question)

Rays appear to come from above P — trace refracted rays back underwater

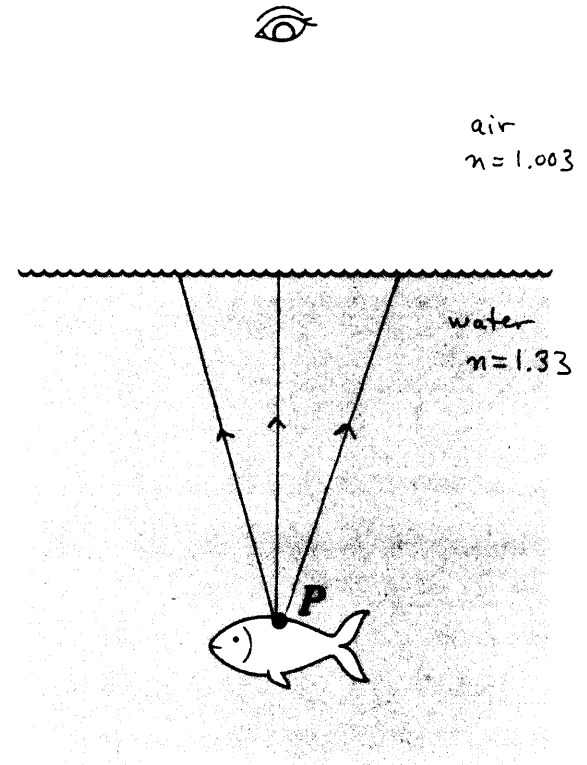
Note: change in index of refraction is required for reflection  
~~if  $n_1 \neq n_2$ , no reflection!~~  
 if  $n_1 = n_2$ , no reflection!

Demo: index matching fluid

(ask who has used microscope w/immersion oil)

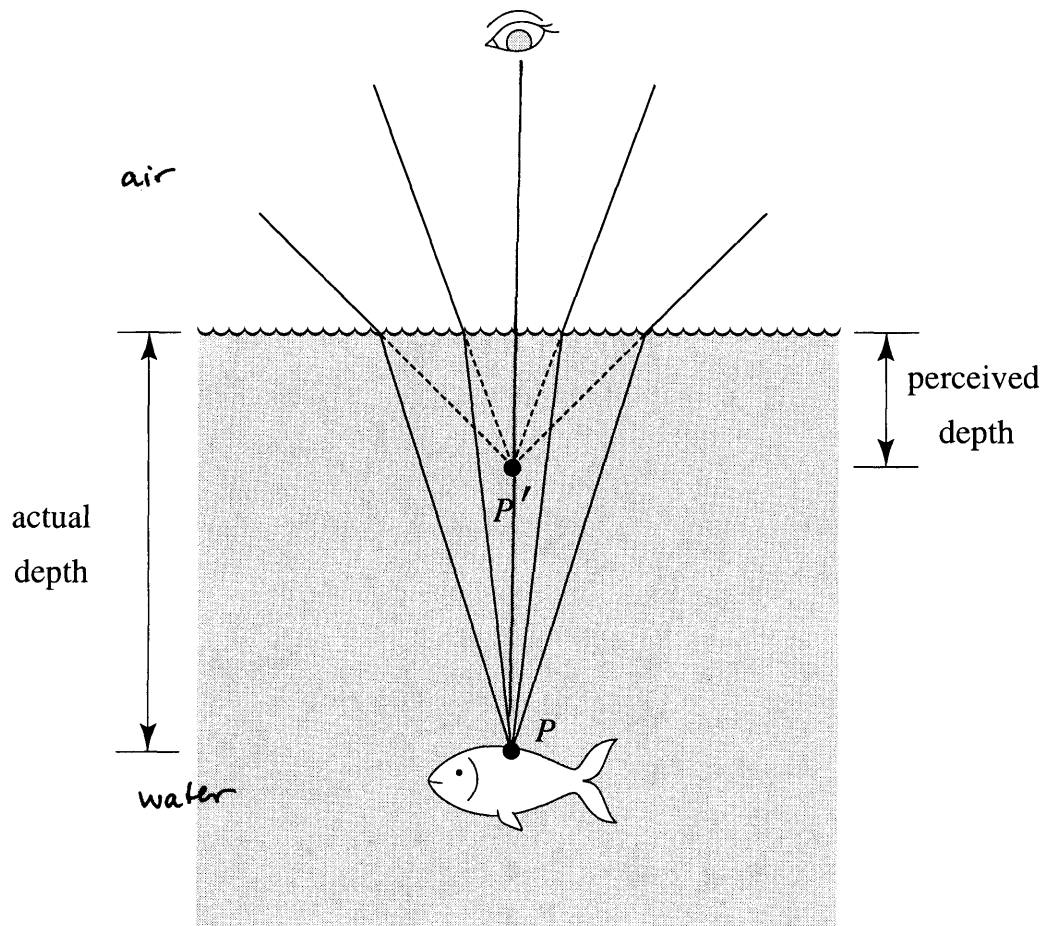
oil eliminates reflection<sup>+refr</sup> of light going from sample to microscope objective lens)

A fish swims below the surface of the water. Suppose an observer looks at the fish from directly above. Light rays leave point  $P$  and travel from the water into the air and to the observer's eye. Those light rays appear to come from



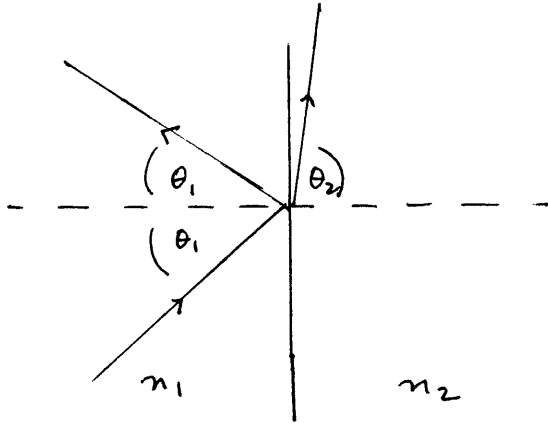
1. Point  $P$ .
2. Somewhere above point  $P$ .
3. Somewhere below point  $P$ .
4. Need more information to answer.

## 2. Somewhere above point P.

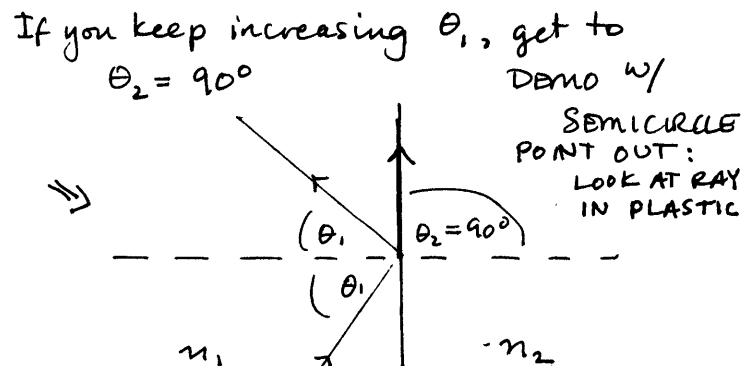


## Total internal reflection (TIR)

Consider case of  $n_1 > n_2$  so  $\theta_1 < \theta_2$



(Let's choose  $n_1$  to always be the medium with the incident beam)

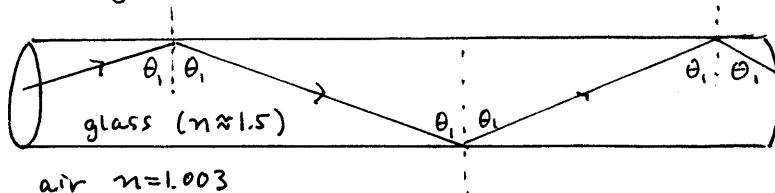


Transmitted ray goes along interface  
(Hard to see!)

Nothing stops us from increasing  $\theta_1$  further — but now  $\theta_2$  can't increase further

→ NO TRANSMITTED RAY — all light is reflected from the surface — perfect reflection

Light can thus be guided along inside a medium with higher index of refraction than what surrounds it



cylindrical optical fiber — if light comes in at large enough angle, get total internal reflection guiding light down fiber

Basis of medical endoscopes

Fiber does not even need to stay straight

Demo: TIR in water

laser pointer follows stream of water

